

# **LU Einführung in Wissensbasierte Systeme**

## **Diagnosis and Planning using DLV**

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## Overview

- Reminder: What is planning?
- Formalising planning
- Tour of Language  $\mathcal{K}$
- Example: Blocksworld
- Invocation of  $DLV^{\mathcal{K}}$

## Reminder: What is Planning?

- Starting from a situation
- Try to reach a goal
- By executing some actions

Given the initial situation, a goal, and a domain description, choose the actions such that the goal is achieved.

## Planning – Example

- I am at Favoritenstraße at 8:30
- And have to give a lecture at Gusshausstraße at 9:00
- I can pack my lecture material in a bag, exit Favoritenstraße, walk to Gusshausstraße in order to achieve the goal.

Obviously, there could also be other plans (e.g. going by bike if one is available to me), taking a taxi, etc.

Note also that the plan need not always work (e.g. forgot the lecture material at home, Gusshausstraße is locked, etc.)

## Planning – How to formalize?

We can identify 3 main elements:

- Static statements “I am at Favoritenstraße.”  
⇒ *Fluents*
- Action statements “Walk to Gusshausstraße.”  
⇒ *Actions*
- Time-Independent statements “Favoritenstraße is a location.”  
⇒ *Background Knowledge*

## Planning – How to formalize?

Observations:

1. In general, actions need *preconditions*.
2. Actions usually have *effects*.
3. Often, fluents remain true when unaffected by actions.
4. Sometimes fluents depend (only) on other fluents.

## Planning – How to formalize?

Examples for observations:

1. Preconditions: E.g. I can leave Favoritenstraße only if I am currently at Favoritenstraße.
2. Effects: E.g. entering Gusshausstraße has the effect of me being there.
3. E.g. if I am at Favoritenstraße and pack my lecture material in a bag, I am still at Favoritenstraße afterwards.
4. If I am in EI 5, I am at Gusshausstraße.

## Planning – How to formalize?

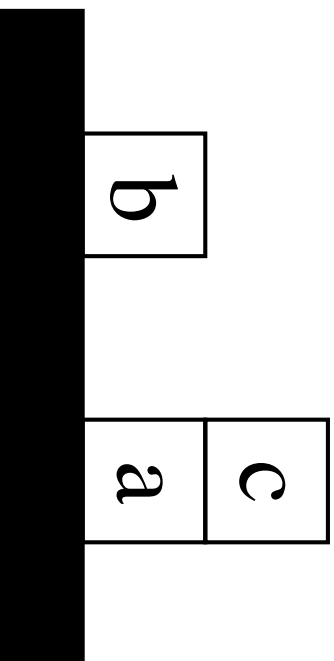
Terms for these observations:

1. *Qualification Problem*
2. *Effects* (only focus for a long time)
3. *Frame Problem, Inertia*
4. *Ramification Problem, Indirect Effects*

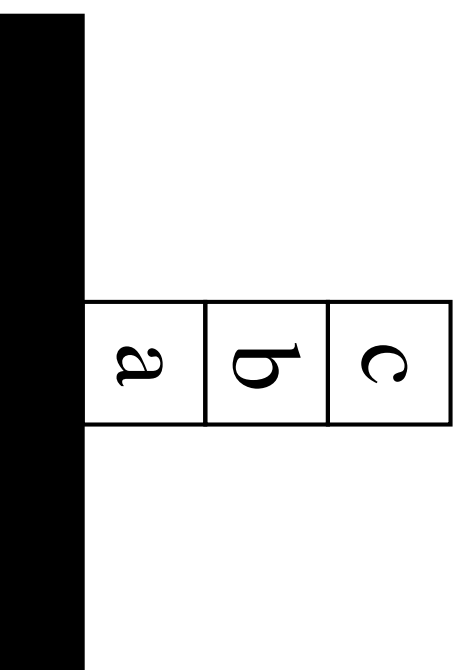


## Example: Blocksworld

initial:



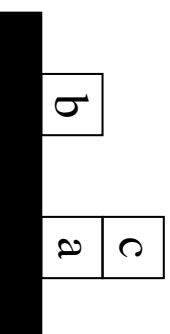
goal:



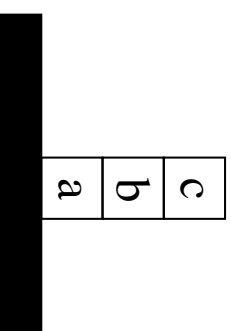
One clear block can be moved to a clear block or the table at a time.

## Blocksworld: Background Knowledge

initial:



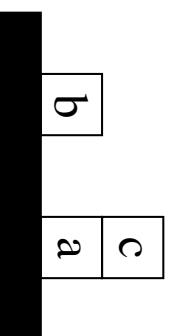
goal:



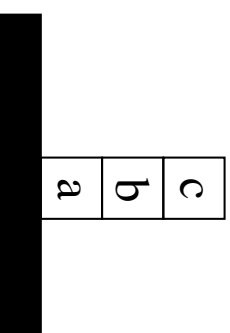
- Block names:  
a, b, c are blocks.
- Location names:  
table is a location.  
All blocks are also locations.

## Blocksworld: Fluents and Actions

initial:



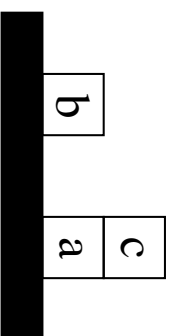
goal:



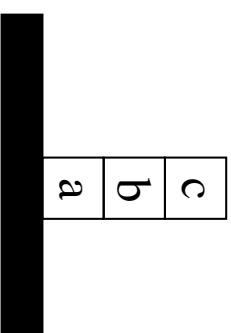
- Fluents:**
- |                       |  |
|-----------------------|--|
| $\text{on}(B, L)$     | <i>(block <math>B</math> is on top of location <math>L</math>)</i> |
| $\text{occupied}(B)$  | <i>(something is on top of block <math>B</math>)</i>               |
| $\text{clear}(B)$     | <i>(nothing is on top of block <math>B</math>)</i>                 |
| $\text{supported}(B)$ | <i>(<math>B</math> does not “float”)</i>                           |
- Actions:**
- |                     |  |
|---------------------|--|
| $\text{move}(B, L)$ | <i>(move block <math>B</math> to location <math>L</math>).</i> |
|---------------------|--|

## Blocksworld: Initial State, Goal, Domain Description

initial:



goal:



**Initial state:**

$\text{on}(b, \text{table}), \text{on}(c, a), \text{on}(a, \text{table}).$

**Goal:**

$\text{on}(c, b), \text{on}(b, a), \text{on}(a, \text{table}).$

**System Description:**

source and destination locations must be clear,  
no concurrent actions, ....

## $\mathcal{K}$ – A Logic-Based Action Language

- Action and Fluent Declarations
- Action Costs
- Causation Rules
- Nonmonotonic Negation, Strong Negation
- Conditional Executability
- Initial State Constraints, Goal
- Inertia

## Language $\mathcal{K}$ : Background Knowledge

We assume that an Answer Set Program (the *background knowledge*) exists, which admits exactly one answer set (and is computable in polynomial time).

In the blocksworld example, it is

```
block(a) .  block(b) .  block(c) .  
location(table) .  
location(L) :- block(L) .
```

It admits one answer set:

```
{block(a) , block(b) , block(c) , location(table) ,  
location(a) , location(b) , location(c)}
```

## Language $\mathcal{K}$ : Type Declarations

Specify the ranges of the arguments of the fluents and actions, using the background knowledge.

For fluents on and occupied:

```
on(B, L) requires block(B), location(L).  
occupied(B) requires block(B).
```

For action move:

```
move(B, L) requires block(B), location(L).
```

## Action Costs

It is possible to associate costs to actions.

E.g. if moving costs five resources:

move ( B , L ) requires block ( B ) , location ( L ) costs  
5 .



## Language $\mathcal{K}$ : Causation Rules

Causation rules can be used to model action effects.

Moving a block to a location  $L$  causes the block to be on  $L$  afterwards:

caused on( $B, L$ ) after move( $B, L$ ).

Moving a block to a location  $L$  causes the block to be not on any other location  $L_1$  afterwards:

caused  $\neg$ on( $B, L_1$ ) after move( $B, L$ ),  $L \neq L_1$ .

## Language $\mathcal{K}$ : Causation Rules

Causation rules can model indirect effects (solving the ramification problem).

If some block  $B_1$  is on a block  $B$ , then  $B$  is occupied in the same moment:

`caused occupied(B) if on(B1, B) .`

A block  $B$  is clear if it is not occupied:

`caused clear(B) if not occupied(B) .`

One causation rule can also have both `if` and `after` conditions.

## Language $\mathcal{K}$ : Negation

### Default negation (not)

caused clear( $B$ ) if not occupied( $B$ ).

### Strong negation ( $-$ )

caused  $-on(B, L)$  after move( $B, L1$ ),  $L \neq L1$ .

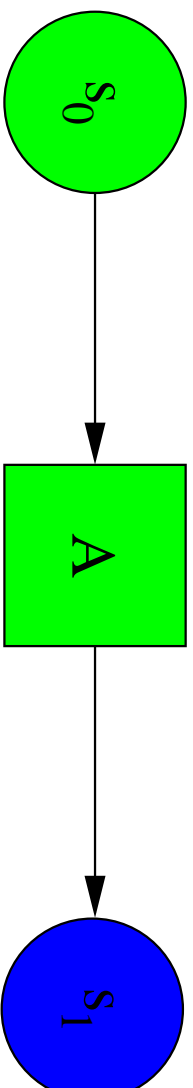
Difference between default negation and strong negation:

Default negation: not  $a$  holds if  $a$  is not known

Strong negation:  $-a$  holds only if  $-a$  is known explicitly

## Semantics: Transitions

caused  $fl$  if  $Cond1$  after  $Cond2$



$s_0$  and  $s_1$  are states,  $A$  a set of actions.

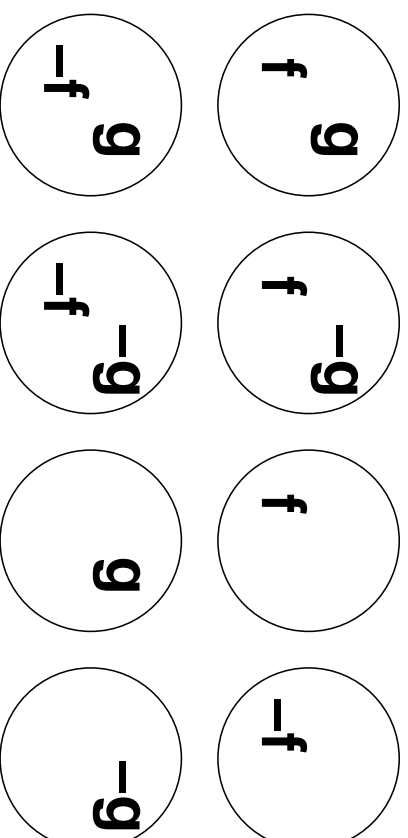
“Executing  $A$  after state  $s_0$  takes you to  $s_1$ .”

$Cond2$  refers to  $s_0$  and  $A$ , while  $fl$  and  $Cond1$  refer to  $s_1$ .

Valid transitions satisfy all causation rules.

## What is a State?

Consistent sets of Fluent literals  $\Rightarrow$  Fluents which are known to hold (positive literals)  $\Rightarrow$  Fluents which are known not to hold (strongly negative literals)



**consistent interpretations  
for atoms  $f$  and  $g$**

## Constraints

Constraints are special causation rules:

forbidden a after b.

Any state satisfying a after b is illegal. Can also be written as  
caused false if a after b.

## Executability

Express preconditions actions (solving the qualification problem).

`move` is executable if neither the moved block `B` nor the destination `L` is occupied, and if `B` and `L` differ.

`executable move(B, L) if not occupied(B) ,  
not occupied(L) , B <> L.`

An executability condition can have both `if` and `after` conditions.

## Nonexecutability

Specify conditions under which an action is *not* executable.

`nonexecutable` takes precedence over `executable`!

`executable move(B,L)` .

`nonexecutable move(B,L)` if `occupied(B)` .

`nonexecutable move(B,L)` if `occupied(L)` .

`nonexecutable move(B,L)` if `B <> L` .



## Initial State Constraints

To specify valid initial states, the scope of causation rules can be set to apply only to the initial state.

These rules cannot have an `after` condition!

They are grouped into a block preceded by `initially:`, while causation rules applying to all states are grouped into a block preceded by `always:`.

```
initially:  forbidden block(B) , not  
            supported(B) .
```

## Goal

A goal is a conjunction of fluents, plus an optional planlength.

$\text{on}(c, b) \wedge \text{on}(b, a) \wedge \text{on}(a, \text{table}) \wedge (3)$

A goal may also contain default negated fluents.

**Language  $\mathcal{K}$ : Inertia**

A fluent may be declared to be inertial:

`inertial on ( B , L ) .`

The inertial fluent `on ( B , L )` continues to hold until  $\neg \text{on} ( B , L )$  is caused.

## Language $\mathcal{K}$ : Parallel vs. Sequential Plans

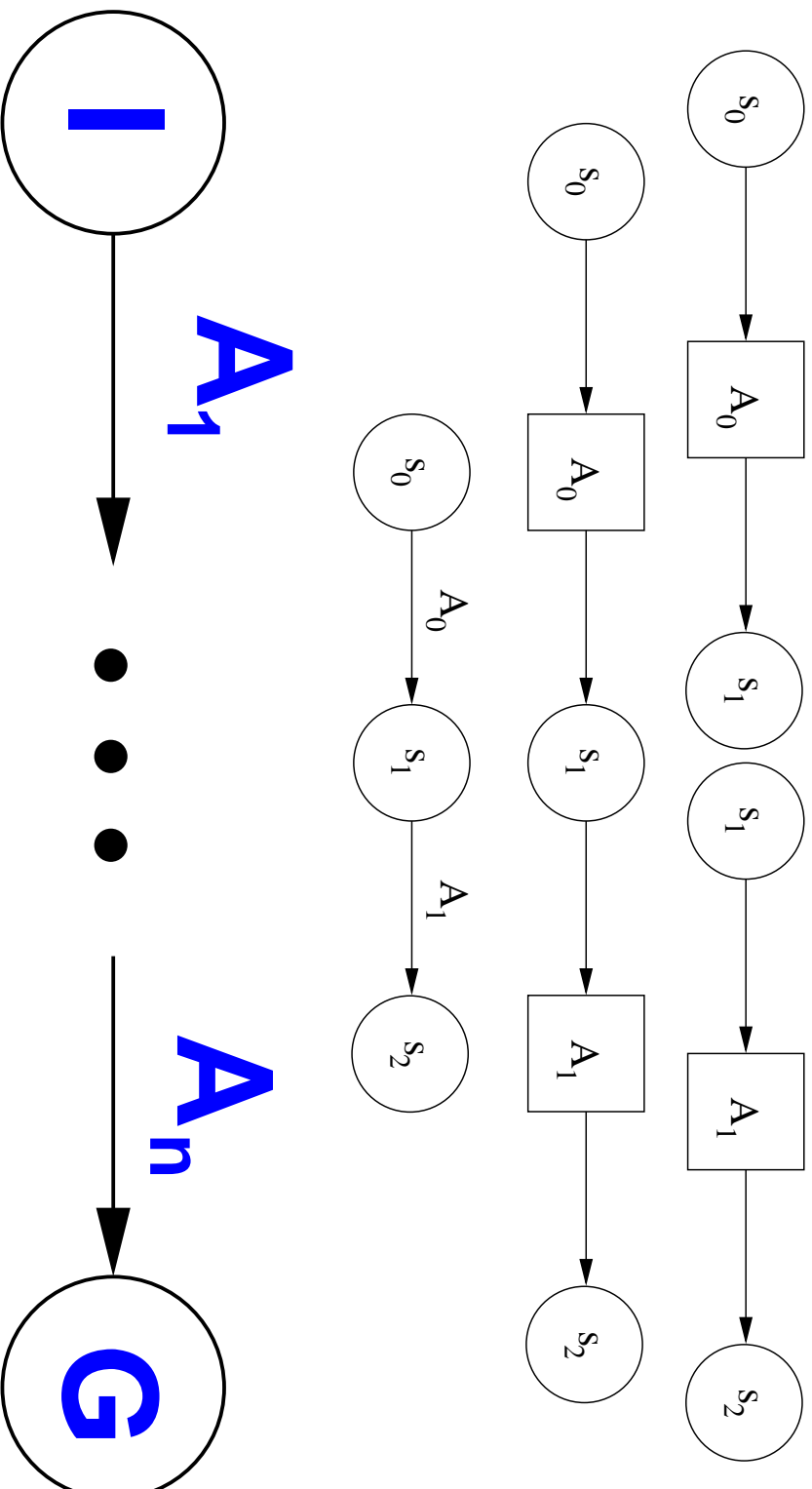
Can actions be executed in parallel or only one at a time?

In  $\mathcal{K}$ , parallel actions are allowed by default. Sequential plans can be enforced by the keyword:

`noConcurrency.`

## Plans

A chaining of transitions, starting from initial state, arriving at a goal state.



## Blocksworld in $\mathcal{K}$

(Background Knowledge in file blocksworld.dl)

```
block(a).  
block(b).  
block(c).  
location(table).  
location(L) :- block(L).
```

## Blocksworld in $\mathcal{K}$

(Domain Description in file blocksworld.plan)

fluents:  $\text{on}(B, L)$  requires  $\text{block}(B)$ ,  $\text{location}(L)$ .  
 $\text{occupied}(B)$  requires  $\text{block}(B)$ .

actions:  $\text{move}(B, L)$  requires  $\text{block}(B)$ ,  $\text{location}(L)$ .

always:  $\text{executable } \text{move}(B, L)$  if not  $\text{occupied}(B)$ ,  
not  $\text{occupied}(L)$ ,  $B \neq L$ .

$\text{inertial } \text{on}(B, L)$ .  
 $\text{caused } \text{occupied}(B)$  if  $\text{on}(B1, B)$ .  
 $\text{caused } \text{on}(B, L)$  after  $\text{move}(B, L)$ .  
 $\text{caused } \neg \text{on}(B, L1)$  after  $\text{move}(B, L)$ ,  $\text{on}(B, L1)$ ,  $L \neq L1$ .

noConcurrency.

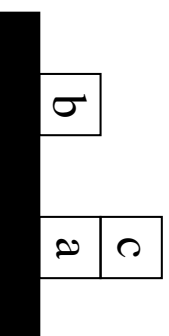
## Blocksworld in $\mathcal{K}$ (cont'd)

(Planning Instance in file `sussman.plan`)

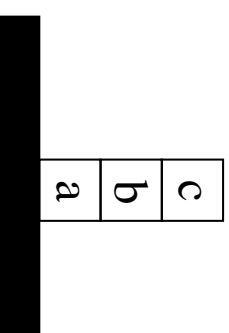
initially:    `on(a, table) . on(b, table) . on(c, a) .`

goal:        `on(c, b) , on(b, a) , on(a, table)? ( 3 )`

initial:



goal:





## Invoking DLV<sup>K</sup>

```
> dlV -FPopt blocksworld.dl blocksworld.plan sussman.plan
DLV [build BEN/May 16 2003   gcc 2.95.4 20011002 (Debian prerelease)]

STATE 0: occupied(a), on(a,table), on(b,table), on(c,a)
ACTIONS: move(c,table)
STATE 1: on(a,table), on(b,table), on(c,table), -on(c,a)
ACTIONS: move(b,a)
STATE 2: on(a,table), on(b,a), on(c,table), -on(b,table), occupied(a)
ACTIONS: move(c,b)
STATE 3: on(a,table), on(b,a), on(c,b), -on(c,table),
        occupied(a), occupied(b)
PLAN:  move(c,table); move(b,a); move(c,b)
```

## Invoking DLV<sup>K</sup>

Viewing only the plan: Use `grep` (on Unix-like systems).

```
> dlV -FPopt blocksworld.dl blocksworld.plan sussman.plan | grep PLAN  
PLAN: move(c,table) ; move(b,a) ; move(c,b)
```

## Invoking DLV<sup>K</sup>

Setting plan length on the commandline:

```
> dlV -FPopt blocksworld.dl blocksworld.plan sussman.plan -planlength=2  
DLV [build BEN/May 16 2003   gcc 2.95.4 20011002 (Debian prerelease)]
```

There is no plan of length 2.

## Invoking DLV<sup>K</sup>

Assume `blocksworld_cost.dl` is equal to `blocksworld.dl`, except that moving costs 5.

```
> dlV -FPopt blocksworld_cost.dl blocksworld.plan sussman.plan
DLV [build BEN/May 16 2003   gcc 2.95.4 20011002 (Debian prerelease)]

STATE 0: occupied(a), on(a,table), on(b,table), on(c,a)
ACTIONS: move(c,table)
STATE 1: on(a,table), on(b,table), on(c,table), -on(c,a)
ACTIONS: move(b,a)
STATE 2: on(a,table), on(b,a), on(c,table), -on(b,table), occupied(a)
ACTIONS: move(c,b)
STATE 3: on(a,table), on(b,a), on(c,b), -on(c,table), occupied(a), occupied(b)
PLAN: move(c,table); move(b,a); move(c,b)  COST: 15
```

**Only plans with minimal cost are computed!**

## Further Information

<http://www.dlvsystem.com/K>

## Commercial Break

### Praktika, Diplomarbeiten:

- **Handbuch** zu Action Language  $\mathcal{K}$  und zu  $DLV^{\mathcal{K}}$
- **Evaluierung** und Vergleich mit anderen Systemen
- **GUI**: Weiterarbeit am Prototypen
- **Weiterentwicklung/Optimierung** von  $DLV^{\mathcal{K}}$
- **Nicht-Deterministisches Planen**: Sichere Pläne, Reaktive Pläne ...
- **Anwendungen**