# Knowledge-based (re)configuration: an ASP approach 

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## Outline

- House (re)configuration problem
- Configuration problem in ASP
- Extension for the reconfiguration problem
- Performance comparison with CSP
- Partner Units Problem
- Problem description
- Encoding of the configuration problem
- Heuristics and performance analysis


## House (re)configuration problem

## Configuration problem

- Given: a model (classes and their relations), its partial instantiation and requirements
- Find: a complete instantiation of the model that satisfies all requirements

(Siemens®)


## House configuration problem

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## Customer requirements:

Declaration of available persons, things and ownership relations between them

## Configuration requirements:

1. each thing must be stored in exactly one cabinet
2. a cabinet can contain at most 5 things
3. every cabinet must be placed in exactly one room
4. a room can contain at most 4 cabinets
5. each room belongs to a person
6. and a room may only contain cabinets storing things of the owner of the room
Goal: store all things in a house such that the set of requirements is fulfilled

## Definitions

- Classes - unary predicates: thing, person, cabinet, room
- Relations - binary predicates: p2t, t2c, c2r, p2r
- Input - facts:
- Persons, things and relations between them
- Domains of cabinets and rooms - unary predicates: cabinetDomain and roomDomain
- Solution schema predicates: cabinet, room, t2c, c2r and p2r


## Sample customer requirements

- Customer requirements include:
- Person 1 owns things 3,4,5,6,7 and
- Person 2 owns thing 8
- There are 2 cabinets and 2 rooms in the components catalog
- Encoding
person(1). person(2). thing(3..8). p2t(1,3..7). p2t(2,8).
cabinetDomain(9..10). roomDomain(15..16).


## ASP Encoding (Gringo 4)

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\% each thing must be stored in exactly one cabinet and a cabinet can contain at most 5 things

1 \{t2c(T,C): cabinetDomain(C)\} 1 :- thing(T).
:- cabinet(C), 6 \{t2c(T,C) : thing(T)\}.
cabinet(C) :- t2c(_,C).

## ASP Encoding

\% each room belongs to a person
$\mathrm{p} 2 \mathrm{r}(\mathrm{P}, \mathrm{R}):-\mathrm{p} 2 \mathrm{t}(\mathrm{P}, \mathrm{T}), \mathrm{t} 2 \mathrm{c}(\mathrm{T}, \mathrm{C}), \mathrm{c} 2 \mathrm{r}(\mathrm{C}, \mathrm{R})$.
\% a room may only contain cabinets storing things of one person
:- p2r(P1,R), p2r(P2,R), P1 != P2.

## Sample solution: ASP encoding

- Solution:
cabinet(9). cabinet(10). room(15). room(16). $\operatorname{p2r}(1,15) . \operatorname{p2r}(2,16) . \operatorname{c2r}(9,15) . c 2 r(10,16)$. t2c $(3,9)$. t2c $(8,10) . .$.



## House reconfiguration problem I

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## Additional customer requirements:

- definitions of long and short things - unary predicates thingLong and thingShort
thingLong(3). ...thingShort(7). thingLong(8). thing(21). thingLong(21).
- definitions of new things
thing(21). p2t(1,21).


## Legacy configuration

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- Use terms to encode the legacy solution (reification of a solution)
- Unary predicate legacyConfig
legacyConfig(cabinet(9)).
legacyConfig(cabinet(10)). ...
legacyConfig(c2r(9,15)). ...
legacyConfig(t2c(3,9)). ...



## House reconfiguration problem II

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## Additional configuration requirements:

- a cabinet is either small or high
- a long thing can only be put into a high cabinet
- a small cabinet occupies 1 and a high cabinet 2 of 4 cabinet places available in a room
- all legacy cabinets are small



## Additional constraints I


thing(X) :- thingLong(X).
thing $(X)$ :- thingShort(X).
1 \{thingLong(X); thingShort(X)\} 1 :- thing $(X)$.
\% same for cabinets
1 \{cabinetHigh(X); cabinetSmall(X)\} 1 :cabinet(X).
cabinetHigh(C) :- thingLong(T), t2c(T,C).

## Additional constraints II

\% 4 slots in a room
cabinetSize(X,1) :- cabinetSmall(X).
cabinetSize(X,2) :- cabinetHigh(X).
:- 5 <= \#sum\{S,C : cabinetSize(C,S), $c 2 r(C, R)\}, \operatorname{room}(R)$.
\% all legacy cabinets are small: holds only for cabinets reused in a new configuration

## Transformation rules

- Parts of the legacy configuration can either be reused or deleted
$\forall \bar{X}[\operatorname{legacyConfig}(p(\bar{X})) \rightarrow \operatorname{reuse}(p(\bar{X})) \vee \operatorname{delete}(p(\bar{X}))]$ where $p(\bar{X})$ is an n-place predicate $p$ used in a configuration with a vector of terms $\bar{X}$
- Reused individuals, relations are asserted

$$
\forall \bar{X}[\operatorname{reuse}(p(\bar{X})) \rightarrow p(\bar{X})]
$$

- Deleted individuals, relations should be excluded

$$
\forall \bar{X}[\operatorname{delete}(p(\bar{X})) \wedge p(\bar{X}) \rightarrow \perp]
$$

## House transformation rules

- Some parts of the legacy configuration must be preserved person(P) :- legacyConfig(person(P)).
- Other parts can either be reused or deleted

1 \{reuse(t2c(T,C)); delete(t2c(T,C))\} 1 :legacyConfig(t2c(T,C)).
cabinetDomain(X) :- legacyConfig(cabinet(X)).
1 \{reuse(cabinet(X)); delete(cabinet(X))\} 1 :- legacyConfig(cabinet(X)).

## Objective function I

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- Introduce costs for each action:
- Creation costs: individuals and relation tuples absent in the legacy configuration
- Reuse costs: individuals and relation tuples present in both reconfiguration and legacy configuration
- Deletion costs: individuals and relation tuples of legacy configuration absent in the reconfiguration
- Optimization criterion: minimize sum of all costs


## Objective function II

- Creation costs $\forall \bar{X}, \bar{Y}, W[\operatorname{new}(p(\bar{X})) \wedge p(\bar{X}) \wedge \alpha(\bar{X}, \bar{Y}, W) \rightarrow \operatorname{cost}(\operatorname{create}(p(\bar{X})), W)]$
- Reuse costs
$\forall \bar{X}, \bar{Y}, W[\operatorname{reuse}(p(\bar{X})) \wedge \beta(\bar{X}, \bar{Y}, W) \rightarrow \operatorname{cost}(\operatorname{reuse}(p(\bar{X})), W)]$
- Deletion costs
$\forall \bar{X}, \bar{Y}, W[\operatorname{delete}(p(\bar{X})) \wedge \gamma(\bar{X}, \bar{Y}, W) \rightarrow \operatorname{cost}(\operatorname{delete}(p(\bar{X})), W)]$ where $\alpha, \beta, \gamma$ are conjunctions of atoms defining case specific costs; new is domain predicate which is true for every $p(\bar{X})$ which is not in a legacy configuration
- Optimization criterion: $\min \sum_{W \in \bar{W}} W$
where $\bar{W}=\{W: \operatorname{cost}(o p(p(\bar{X})), W), p \in$ SolutionSchema $\}$ and $o p \in\{$ create, reuse, delete $\}$


## House objective function

- Differentiate between domain elements used in legacy solution and new once
- Encoding using xDomainNew/1 predicate
- $x$ stands for a type, e.g. cabinet
cost(create(cabinetHigh(X)),W) :-

$$
\begin{aligned}
\text { cabinetHigh(X), } & \text { cabinetHighCost(W), } \\
& \text { cabinetDomainNew(X). }
\end{aligned}
$$

## Reconfiguration solution I

Initial state


- Reusing and changing a cabinet to high costs less than creating a new one
- Creation of a high cabinet costs more than reuse of an old one modified to high

Reconfiguration


## Reconfiguration solution II

## Initial state



- Creation of a new cabinet costs less than reuse of an existing cabinet and changing its size
- Deletion of a cabinet costs more than 0

Reconfiguration


## Reconfiguration problems

- Empty: the legacy solution is empty
- Long: some of the things are declares as long
- New room: at least one new room must be created to find a solution
- Swap: any solution describes a rearrangement of cabinets in rooms


## Modeling approaches

- ASP
- Problem representation is encoded in ASP (Gringo) modeling language
- ASP program is solved by Gringo 3.0.3 + clasp 2.0.2
- CP
- CP model is written in MiniZinc
- The instances were solved using Gecode 3.7.1, which is a Finite Domain solver written in C++


## CP variable orderings I

- Fill cabinets first:
- assign things to cabinets, i.e. fix values of the variables in the array t2c
- variables in the array are selected using first_fail heuristic and values indomain_min heuristic
- assign values to variables in c2r, i.e. place cabinets in rooms, using the same heuristics as above
- the order of other variables is determined by the solver (Gecode)


## CP variable orderings II

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- Long things first:
- for each person place first longs things into cabinets and then short things
- after each fifth thing assignment place a cabinet into a room
- input_order variable selection heuristic is used to apply the ordering described above
- indomain_min heuristic is used to select the values
- the order of other variables is determined by the solver (Gecode)


## Evaluation I


*only creation costs for individuals are taken into account, CP - long things first

## Evaluation II


*only creation costs for individuals are taken into account, CP - fill cabinets first

## Evaluation summary

The overall runtime of Clasp is better than runtime of Gecode. ASP outperformed CP on the Empty, New Room and Swap instances.

CP allows incorporation of problem-relevant heuristics by means of search annotations which improved the runtime for Long scenario.

In many cases CP was able to identify the optimal model, but failed to prove the optimality.

Partner Units Configuration problem

## Partner Units Problem (PUP)

Given a consistent configuration of door sensors and zones, find a valid assignment of units that satisfies all requirements, minimizing the number of units used


## Requirements

- each zone as well as each door sensor must be connected to exactly one unit;
- each unit can control at most two door sensors and at most two zones;
- if a unit controls a sensor that contributes to a zone controlled by another unit, then the two units must be connected directly, i.e. one unit becomes a partner unit of the other and vice versa;
- each unit can have at most $n$ partner units
[ASP Competition, 2011]


## PUP example

Input


## Solution



Not a solution


## UML representation



Relations
Input: z2s/2, zone/1, sensor/1
Output: unit/1, u2z/2, u2s/2, pu/2

## ASP encoding I

z2s(z1,s1; z1,s2; z1,s3).
z2s(z2,s3; z2,s4).
zone(Z) :- z2s(Z,S).
sensor(S) :- z2s(Z,S).
\#const maxPU=2.
\#const upper=7. \#const lower=2.
lower $=\lceil\max (\#$ zones,$\#$ sensors $) / 2\rceil$

upper $=\#$ zones $+\#$ sensors

## ASP encoding II

lower \{unit(1..upper)\} upper.

1 \{ u2z(U,Z) : unit(U) \} 1 :- zone(Z).
:- unit(U), 3 \{ u2z(U,Z): zone(Z) \}.

1 \{ u2s(U,D) : unit(U) \} 1 :- sensor(D).
:- unit(U), 3 \{ u2s(U,D): sensor(D)\}.
pu(U,P) :- u2z(U,Z), z2s(Z,D), u2s(P,D), U!=P. $p u(U, P):-p u(P, U)$, unit(U), unit(P). :- unit(U), maxPU+1 \{ pu(U,P): unit(P)\}.

## Test cases

## single-11:

11Z, 6S, 6U, 22 connections between zones and sensors, each door is a sensor

## double, double variant:

- a double row of connected rooms, each room being a zone
- a variant has additional zones for each 2 connected rooms vertical to the row


## triple:

- each room being a zone
- in some cases with additional 2 or 4 zones consisting of 2-4 rooms



## Evaluation results

| EDB | Configuration | Cos* | Simple program |
| :--- | :--- | :--- | :--- |
| p10v3.edb | $15 \mathrm{U}, 30 \mathrm{Z}, 28 \mathrm{D}, 3 \mathrm{PU}$ | $00: 15,0$ | $00: 59,65$ |
| p10v4.edb | $30 \mathrm{U}, 60 \mathrm{Z}, 58 \mathrm{D}, 4 \mathrm{PU}$ | timeout | $00: 01,56$ |
| p20v4.edb | $20 \mathrm{U}, 30 \mathrm{Z}, 40 \mathrm{D}, 4 \mathrm{PU}$ | $00: 16,0$ | $00: 00,25$ |
| p102.edb | $14 \mathrm{U}, 20 \mathrm{Z}, 28 \mathrm{D}, 2 \mathrm{PU}$ | timeout | $00: 00,10$ |
| p203.edb | $29 \mathrm{U}, 40 \mathrm{Z}, 58 \mathrm{D}, 3 \mathrm{PU}$ | $00: 40,0$ | timeout |
| p303.edb | $44 \mathrm{U}, 60 \mathrm{Z}, 88 \mathrm{D}, 3 \mathrm{PU}$ | $02: 30,0$ | timeout, solved in 08:46 min |
| p403.edb | $59 \mathrm{U}, 80 \mathrm{Z}, 117 \mathrm{D}, 3 \mathrm{PU}$ | timeout | timeout |
| r10.edb | $20 \mathrm{U}, 32 \mathrm{Z}, 40 \mathrm{D}, 4 \mathrm{PU}$ | $00: 02,0$ | $00: 00,42$ |
| r12.edb | $20 \mathrm{U}, 34 \mathrm{Z}, 40 \mathrm{D}, 4 \mathrm{PU}$ | $00: 10,0$ | $00: 00,74$ |
| r20.edb | $40 \mathrm{U}, 64 \mathrm{Z}, 79 \mathrm{D}, 4 \mathrm{PU}$ | $<1$ sec | $00: 41,68$ |
| r22.edb | $40 \mathrm{U}, 60 \mathrm{Z}, 79 \mathrm{D}, 4 \mathrm{PU}$ | $<1$ sec | $00: 17,72$ |
| r30.edb | $59 \mathrm{U}, 90 \mathrm{Z}, 118 \mathrm{D}, 4 \mathrm{PU}$ | timeout | timeout, solved in 08:38 min |

*Cos - Legacy constraints system, timeout 3 minutes

## Stochastic local search



## Evaluation details

Solver: UBCSAT ${ }^{1,2}$
Tested algorithms: GSAT (greedy SAT), GWSAT modification of GSAT with a simple random walk procedure, WalkSAT, Conflict-Directed Random Walk also known as Papadimitriou's algorithm, adaptive Novelty+ one of the most effective SLS algorithms ${ }^{2}$, adaptive G2WSAT combines adaptive noise and look-ahead in local search
Results: experiments showed that SLS methods are unable to find solutions even of the mid-sized PU problem instances provided by SIE.

1. http://www.satlib.org/ubcsat/algorithms/
2. http://ubcsat.dtompkins.com/home
3. Biere, A., Heule, M., van Maaren, H., and Walsh, T.: Handbook of Satisfiability, IOS Press, 2009

## Selected evaluation results

| Test case | Input | MiniSAT | GSAT | GWSAT |
| :--- | :--- | :---: | :---: | :---: |
| simple-3 | $3 Z, 4 \mathrm{~S}, 2 \mathrm{U}, 2 \mathrm{PU}$ | S | TO | S |
| doublev-60 | $30 \mathrm{Z}, 40 \mathrm{~S}, 20 \mathrm{U}, 4 \mathrm{PU}$ | S | TO | TO |
| double-20 | $20 \mathrm{Z}, 28 \mathrm{~S}, 14 \mathrm{U}, 3 \mathrm{PU}$ | S | TO | TO |
| double-40 | $40 \mathrm{Z}, 58 \mathrm{~S}, 29 \mathrm{U}, 3 \mathrm{PU}$ | TO | TO | TO |


| Test case | WalkSAT | CRWalk | ANovelty+ | AG2WSAT |
| :--- | :---: | :---: | :---: | :---: |
| simple-3 | S | S | S | S |
| doublev-60 | TO | TO | TO | TO |
| double-20 | TO | TO | TO | TO |
| double-40 | TO | TO | TO | TO |

$S$ - solution found $\quad$ TO - time out (3 minutes)

## Modification 1

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Zones Units


- In the worst case, $\operatorname{maxPU}+1$ units units can be used to connect zones to sensors via units.
- A zone can be connected either to one of the units controlling previously connected zones and their door sensors or to an additional unit.

$$
U P(Z)=Z *(\max P U+1)+1
$$

## Program Mod. 1

1 \{u2z(U,Z): unit(U) \} 1 :- zone(Z).

$$
\begin{array}{r}
1\{u 2 z(U, Z): \text { unit }(U), U<=U P\} 1:-z o n e(Z), \\
U P=Z^{*}(\operatorname{maxPU}+1)+1 .
\end{array}
$$

## Modification 2

- More precise approximation of the number of units required to control all zones with smaller indexes and their door sensors

$$
\begin{aligned}
& Z D_{Z}=\left\{z 2 s\left(Z_{i}, D\right): Z_{i}<\mathrm{Z}\right\} \\
& U P(Z)=\left|Z D_{Z}\right| / 2+1
\end{aligned}
$$

## Program Mod. 2

1 \{u2z(U,Z) : unit(U) \} 1 :- zone(Z).

$$
\begin{gathered}
1\{u 2 z(U, Z): \text { unit }(U), U<=U P\} 1:-\quad z o n e(Z), \\
U P=Y / 2+1, \quad Y=\{z 2 s(Z 1, D): Z 1<Z\} .
\end{gathered}
$$

## Modification 3



The number of units that can control a door sensor $D$ is determined as:
$U P(D)=\max \left(Z D_{D}\right)$
$Z D_{D}=\left\{\left(Z_{i}+1\right)(\operatorname{maxPU}+1): z 2 s\left(Z_{i}, D\right)\right\}$

Zones Units | Door |
| :---: |
| sensors |



## Program Mod. 3

1 \{ u2z(U,Z) : unit(U) \} 1 :- zone(Z).
1 \{ u2s(U,D) : unit(U) \} 1 :- sensor(D).

1 \{u2z(U,Z) : unit(U), U<=UP\} 1 :- zone(Z), $\mathrm{UP}=\mathrm{Z}^{*}($ maxPU+1) $)$.
1 \{u2s(U,D) : unit(U), U<=UP\} 1 :- z2s(Z,D), $U P=(Z+1) *($ maxPU +1$)$.

## Modification 4

- Combines Modification 2 with limits on possible unit-sensor relations as in Modification 3
- Overview of modifications:

$$
\begin{array}{ll}
\perp \subseteq \text { Mod. } 4 \subseteq \text { Mod. } 2 \subseteq & \underbrace{}_{\text {Mod. }} \subseteq \text { Simple } \subseteq \top \\
& \text { Mod. } 3 \subseteq
\end{array}
$$

## Modification 5

If a maximum number of partner unit equals 2 and a configuration exists, then there will be a configuration with the following partner units connection.
[Aschinger at al., 2011]


## Program Mod. 5

\% generate a path pu(U1,U2) :- unit(U1), unit(U2), U1=U2-1.
\% create a cycle pu(lower, 1).

## Example


\#const lower $=4$. \#const maxPU $=2$.
$z 2 s(0,1) . \quad z 2 s(0,4)$. $z 2 s(0,6)$.
z2s(1,0). $\quad 22 s(1,1)$. z2s(1,2). $z 2 s(1,3)$. $z 2 s(1,4) . \quad z 2 s(1,5)$.

## SIE test cases: single \& small



## SIE test cases: double



Simple Mod. 1 Mod. 2 Mod. 3 Mod. 4 Mod. 5 GG with maxPU=2 (interUnitCap)

## SIE test cases: double variant



## EDB

Simple $\square$ Mod. 1Mod. 2Mod. 3
Mod. 4
Mod. 5 GG

## Evaluation summary

- Simple ASP encoding shows performance comparable with a CP encoding
- Application of local search:
- not advised if problem is solvable with complete algorithms
- advised in case complete algorithms fail
- Heuristics help to improve the performance on specific instances

